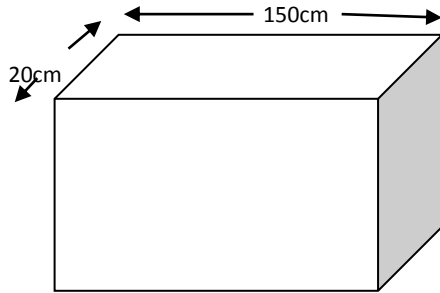


# MUCHINGA JETS FAIR, 2014

## JUNIOR MATHEMATICS OLYMPIADS

### ANSWER ALL QUESTIONS

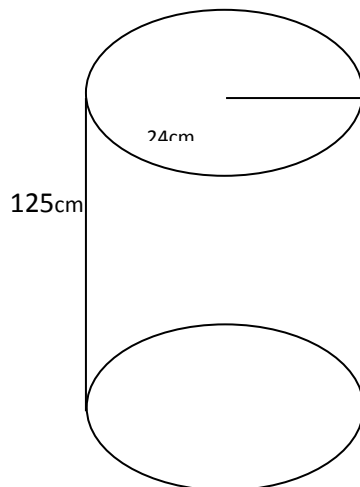
#### QUESTION ONE



The diagram above show a rectangular trough of length 150cm and width 20cm. The trough was completely filled with  $48000\text{cm}^3$  of water from the tank.

- (a) Calculate the depth of the tank (2 marks)
- (b) After the trough had been filled, water started to leak out of the tank. Calculate the rate at which the level of water in the tank was falling (3 marks).

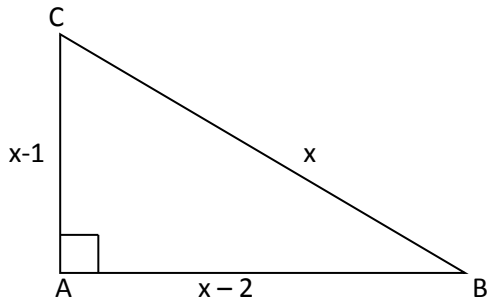
#### QUESTION TWO



The diagram above shows a cylindrical water tank of radius 24cm and height 125cm. It is open on top and full of water. Taking  $\pi$  to be 3.142, calculate

- (a) The volume in liters of water in the tank. (2 marks)
- (b) The total surface area of the tank in metres per square. (3 marks)

### QUESTION THREE



The diagram ABC is a right angled triangle in which  $AB=x-2$ ,  $AC=x-1$  and  $BC=x$ .

- (a) Using the information given above, form an equation in  $x$  and show that it reduces to  $x^2 - 6x + 5 = 0$  (3 marks)
- (b) Hence solve the equation. (2 marks)

### QUESTION FOUR

The sets A and B are integers.

Set A =  $( 5 < X < 10 )$ ,

B =  $( - 2 \leq y \leq 5 )$ . Calculate the

- i) lowest value of  $y + x$  1 mark
- ii). lowest value of  $x - y$  1 mark
- iii) maximum value of  $x - y$  1 mark
- iv) maximum value of  $x \div y$  1 mark

b.A straight line passes through the points

M ( 2 , 4) and N ( 8 , 12). Calculate

- i) Gradient of the line MN 2 marks
- ii) midpoint of line MN 2 marks
- iii) Equation of the line MN 2 marks